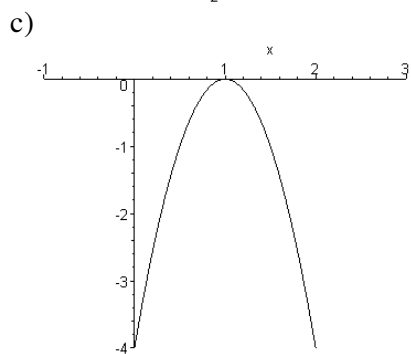
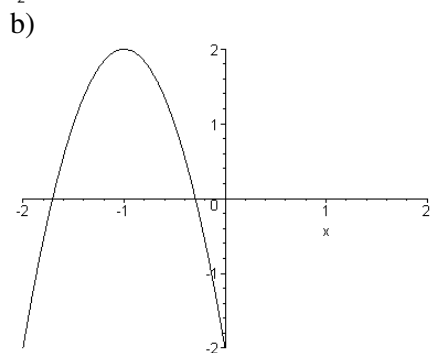
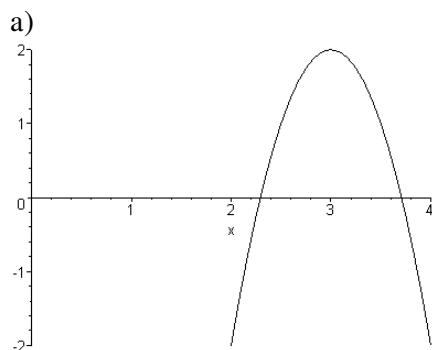




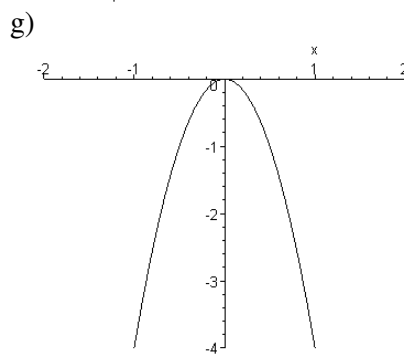
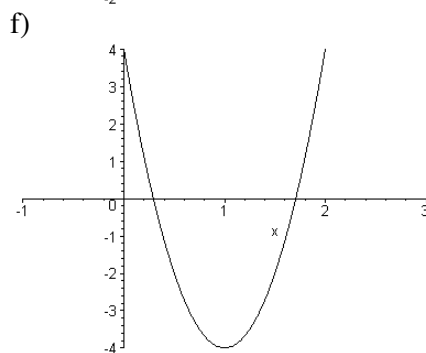
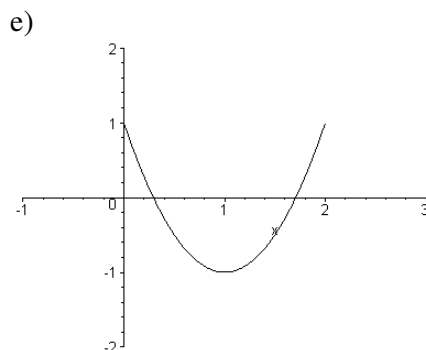
Soluções das Ficha Prática nº2 – 2ª Parte

1) c)

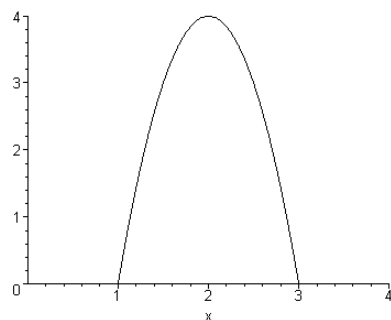
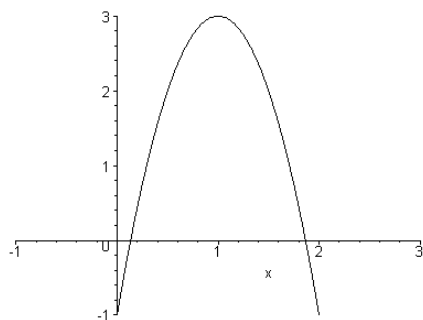
2)



d)



h)



3) B

4) 4a) Figura 5.2

4b) Figura 5.4

4c) Figura 5.5

5) B

6) D

7) C

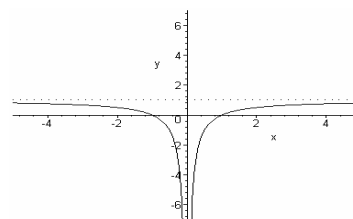
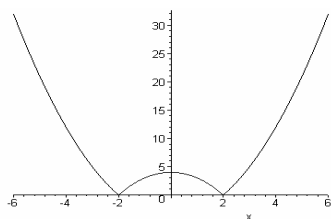
8) C

9) C

10) 10a.1) 1/2

10a.2) -4

10b)



10c.1) $x \in]-2, 0[\cup]1, 2[$

10c.2) $x \in]-\infty, 0[\cup [1, +\infty[$

10d) $y = x^2 - 4$

11) 11a) $]0, \frac{1}{6}[$ 11b) $(f \circ g)(x) = \sqrt{\frac{1}{2x} - 3}$

12) 12a)

$f \circ g :]-\infty, \frac{4}{3}[\rightarrow \mathbb{R}$

$x \mapsto \sqrt{\frac{1}{4-3x}}$

12b)

$g \circ f : \mathbb{R}^+ \rightarrow \mathbb{R}$

$x \mapsto 4 - 3\sqrt{\frac{1}{x}}$

13)

$$f \circ g: \mathfrak{R} \rightarrow \mathfrak{R}$$

$$x \mapsto \begin{cases} 5x^3 & \text{se } x \leq 0 \\ -x^3 & \text{se } 0 \leq x \leq 2 \\ x\sqrt{x} & \text{se } x > 2 \end{cases}$$

14) C e D.

15) B

16) Não.

17) $f(x) = x$

18) C

19) 19a) $D = [-3, +\infty[$ $CD = [5, +\infty[$

$$\begin{aligned} 19b) \quad f^{-1}: [5, +\infty[&\rightarrow [-3, +\infty[\\ x &\mapsto (x-5)^2 - 3 \end{aligned}$$

$$19c) \quad S = \{ \}$$

20)

$$\begin{aligned} 20a) \quad f^{-1}: \mathfrak{R}_0^+ &\rightarrow \mathfrak{R}_0^+ & e \quad g^{-1}: \mathfrak{R} \setminus \{1\} &\rightarrow \mathfrak{R} \setminus \{1\} \\ x &\mapsto x^2 & x &\mapsto \frac{x+5}{x-1} \end{aligned}$$

20b)

$$\begin{aligned} (f \circ g)^{-1}: \mathfrak{R} \setminus \{-1; 1\} &\rightarrow]-\infty; -5] \cup]1; +\infty[\\ x &\mapsto \frac{x^2 + 5}{x^2 - 1} \end{aligned}$$

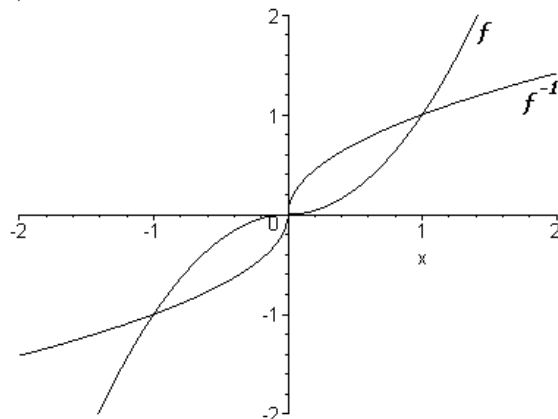
$$(f \circ g)^{-1}(x) = (g^{-1} \circ f^{-1})(x)$$

21)

$$f^{-1}: \mathfrak{R} \rightarrow \mathfrak{R}$$

$$a) \quad x \mapsto \begin{cases} \sqrt{x} & , x \geq 0 \\ -\sqrt{-x} & , x < 0 \end{cases}$$

b)



Conclui-se que o gráfico de f e de f^{-1} são simétricos relativamente à recta $y = x$ (bissectriz dos quadrantes ímpares).

22) C

23) B

24) B